

GROUP REPORT

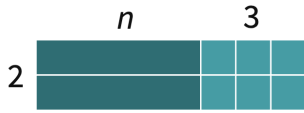
Express Yourself

WORDS	EXPRESSION	VISUAL
W1		
W2		
W3		
W4		
W5		
W6		
W7		
W8		
W9		
W10		
W11		
W12		

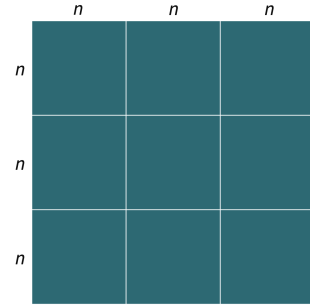
W1	W7
Multiply n by 2, then add 6	Multiply n by 2, then add 12
W2	W8
Multiply n by 3, then square the result	Divide n by 2, then add 6
W3	W9
Add 6 to n , then multiply by 2	Square n , then add 6
W4	W10
Add 6 to n , then divide by 2	Square n , then multiply by 3
W5	W11
Add 3 to n , then multiply by 2	
W6	W12
Add 6 to n , then square the result	

E1	E7
$\frac{n+6}{2}$	$(3n)^2$
E2	E8
$3n^2$	$(n + 6)^2$
E3	E9
$2n + 12$	$n^2 + 12n + 36$
E4	E10
$2n + 6$	$3 + \frac{n}{2}$
E5	E11
$2(n + 3)$	
E6	E12
$\frac{n}{2} + 6$	

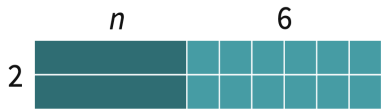
A1



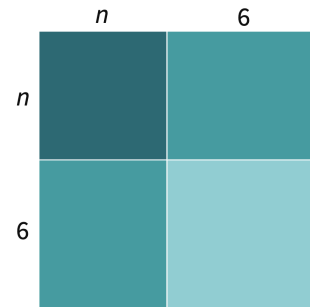
A5



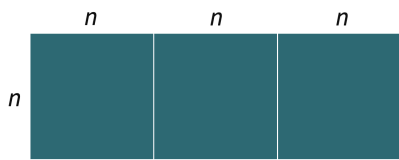
A2



A6



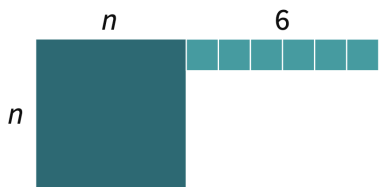
A3



A7



A4



A8

ON YOUR OWN

Express Yourself

How can we prove that expressions are equivalent (or not)?

Mai, Kai, and Ty are discussing why $4(n + 1)$ is (or isn't) equivalent to $4n + 4$.

Mai

It works with numbers! Let's say $n = 10$.

$4(n + 1)$ would be $4(10 + 1)$, which is $4(11)$, which is 44.

$4n + 4$ would be $4(10) + 4$, which is also 44.

Ty

Multiplication is just repeated addition. For example, $4(3)$ is the same as $3+3+3+3$.

We can do the same thing with $4(n + 1)$.

So, $4(n + 1)$ is basically $n + 1 + n + 1 + n + 1 + n + 1$.

Reordering things gives us $n + n + n + n + 1 + 1 + 1 + 1$, which is $4n + 4$.

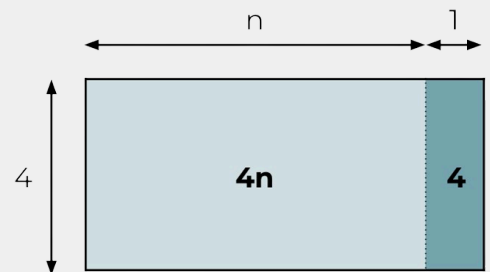
Kai

The area of a rectangle is length \times width.

So, $4(n + 1)$ can represent the area of a rectangle with a length of $(n + 1)$ and a width of 4.

The picture shows that the whole rectangle can be thought of as two parts, one with an area of $4n$ and another with an area of 4. So, the total area must be $4n + 4$.

That means $4(n + 1) = 4n + 4$



1. Which explanation do you think is the **easiest to understand**? Why?
2. Which explanation do you think is the **most convincing**? Why?
3. Practice using each of the explanations.
 - a. Use Mai's method to show that $-2(3x - 1)$ and $-6x - 2$ are/aren't equivalent.
 - b. Use Ty's method to show that $4(W - 2)$ and $4W - 2$ are/aren't equivalent.
 - c. Use Kai's method to show that $6(3 + y)$ and $6y + 18$ are/aren't equivalent.
4. Create an expression equivalent to the one given. You can use any method you'd like, but you must be able to explain how you know your expression is equivalent.
 - a. $5(Z - 2)$
 - b. $3(x + 2 - y)$
 - c. $(s + 4)(s + 3)$
 - d. (+) Create a diagram that could be used to find an expression equivalent to $(x + 3)^3$

5. For each expression below, there can be more than one correct answer. So, be sure to find *all* of the equivalent expressions.

The expression $3(x \cdot 5)$ is equivalent to	a. $5x \cdot 3$	b. $3x + 15$	c. $15x$
	d. $5 \cdot (3x)$	e. $3x \cdot 5$	f. $3x \cdot 15$
The expression $\frac{3x}{4}$ is equivalent to	a. $\frac{3}{4} \cdot x$	b. $3 \cdot \frac{x}{4}$	c. $3x \div 4$
	d. $3 \div (4 \cdot x)$	e. $\frac{3}{4x}$	f. $3 \div \frac{4}{x}$
The expression $\frac{a+b}{3}$ is equivalent to	a. $\frac{1}{3}(a + b)$	b. $1 \div \frac{3}{a+b}$	c. $(a + b) \div 3$
	d. $\frac{a}{3} + b$	e. $\frac{a}{3} + \frac{b}{3}$	f. $a + b \div 3$